

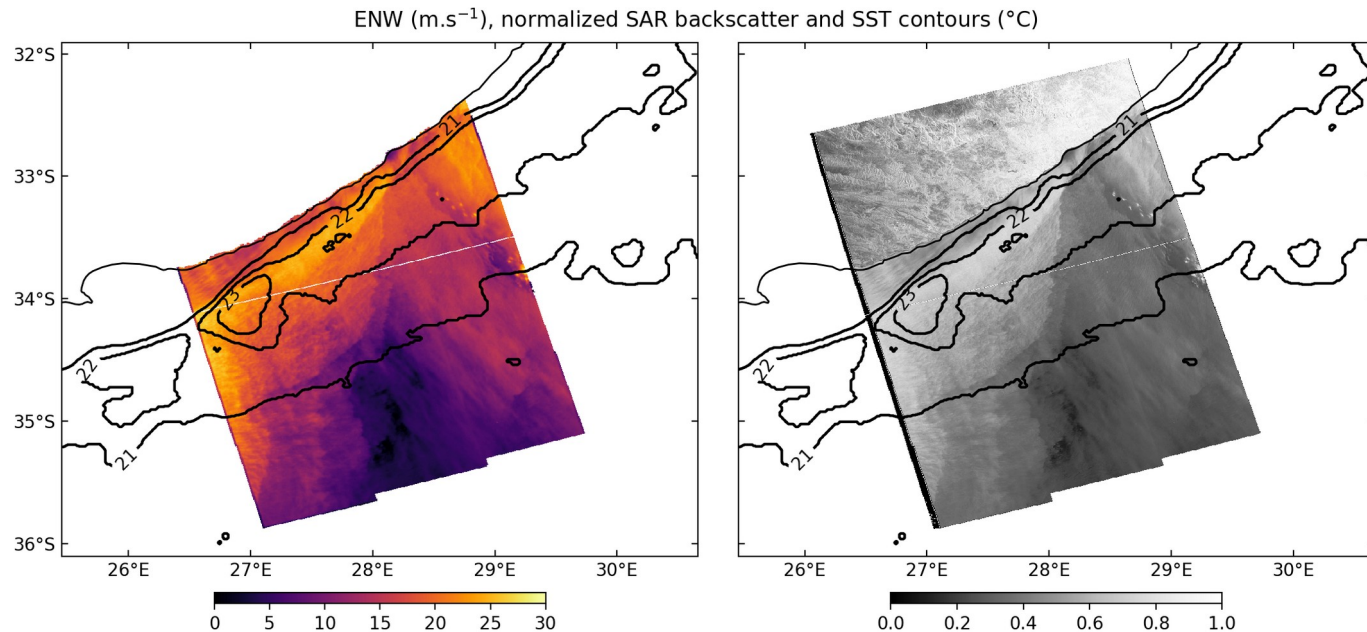
Atmosphere response to a submesoscale SST front

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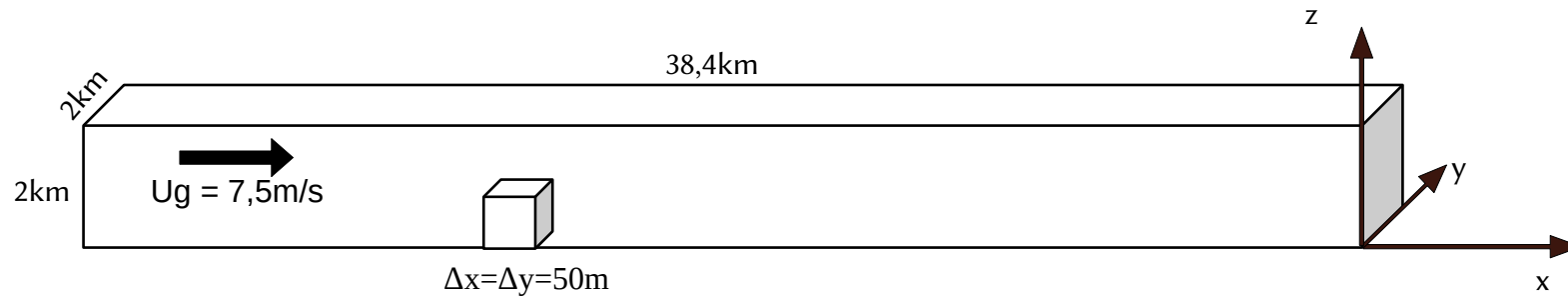
*GDR Défis théoriques pour les sciences du
climat, Interfaces dans le système climatique*

Agulhas current

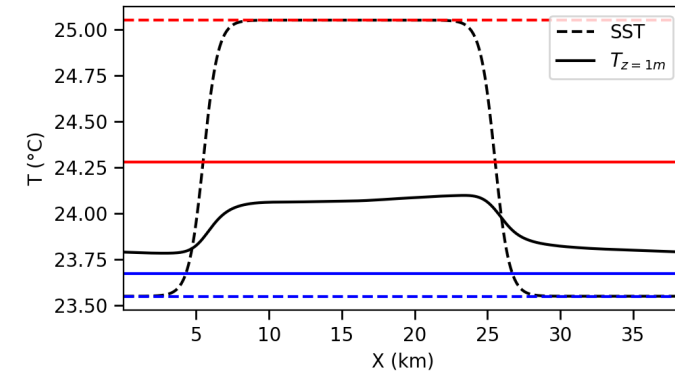
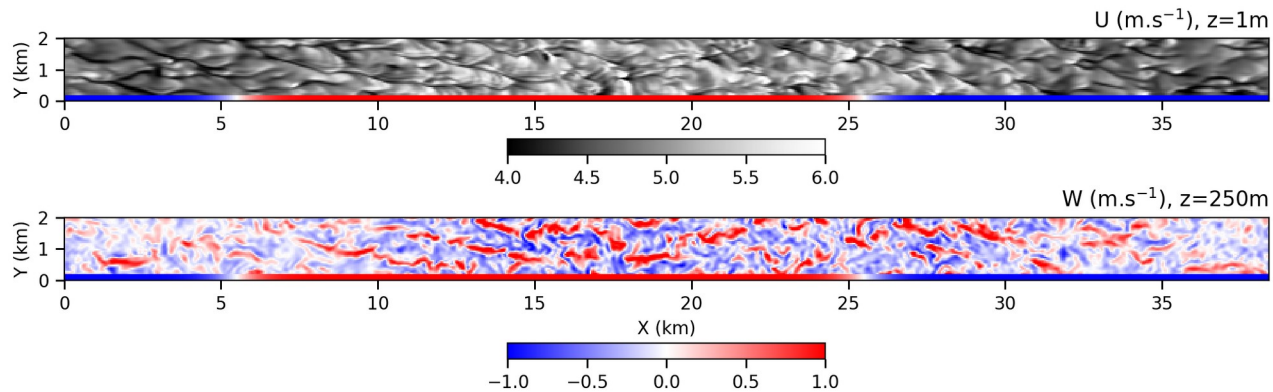
- SST fronts are multi scale
- Stronger winds on warm SST
- Roughness change with SST change



Idealized setup

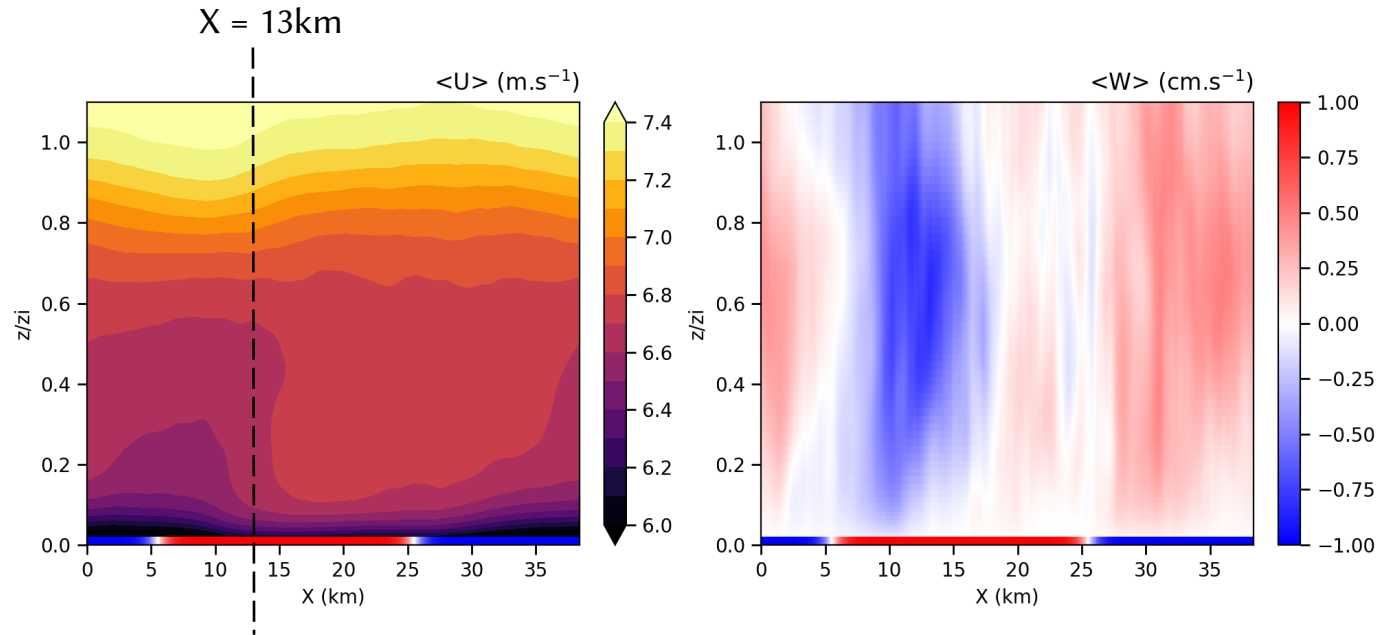


MesoNH 5.6.1
LES, 3D closure

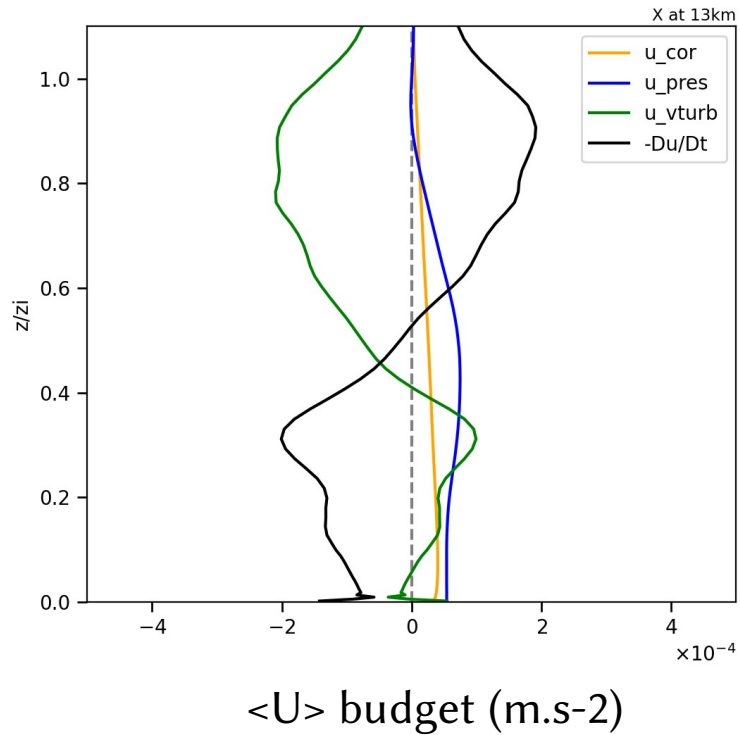


Mean wind

$\langle . \rangle$ = time and Y average



- Warm SST increases winds in the lower layers of the ABL
- What is the origin of the subsidence ?



$$\frac{D \langle U \rangle}{Dt} = -f \langle V \rangle - \frac{1}{\rho_0} \frac{\partial \langle P \rangle}{\partial x} - \frac{\partial \langle uw \rangle}{\partial z} + \dots$$

↑
↑
↑
↑

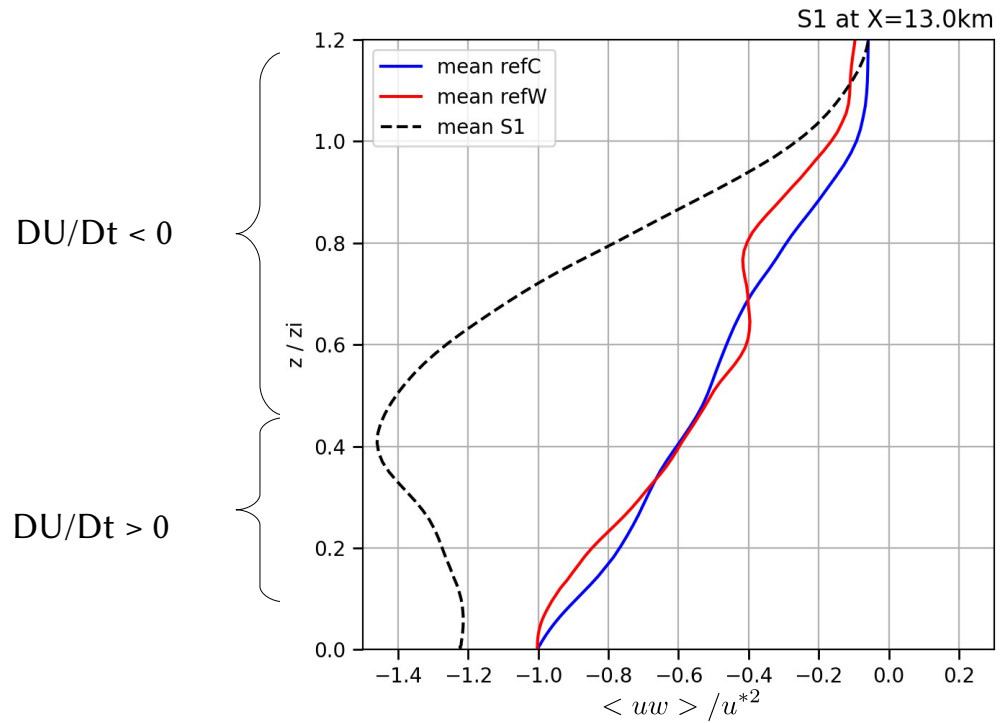
Lagrangian derivative
Coriolis
Pressure gradient
Turbulent stress

Mean $\langle uw \rangle$ profile

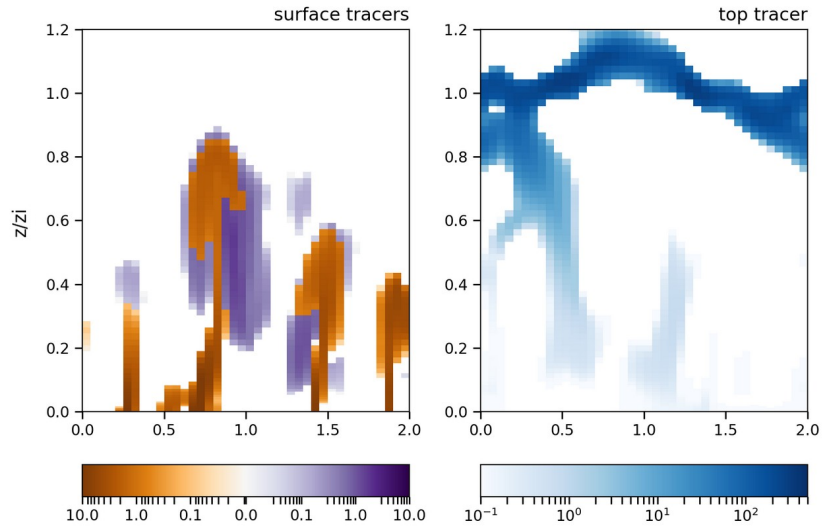
Above surface layer :

- Linear profiles for reference simulations
- S1 \neq references after the SST jump

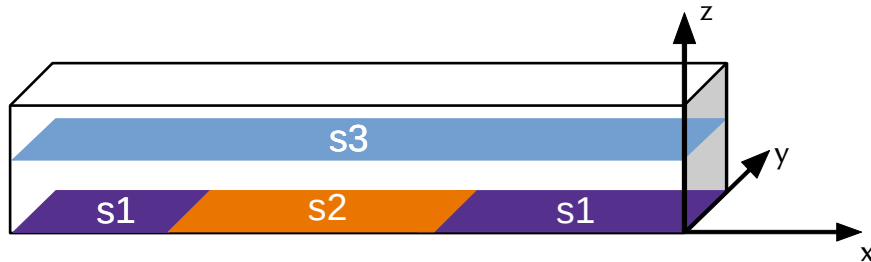
→ How to explain the shape of the flux profile ?



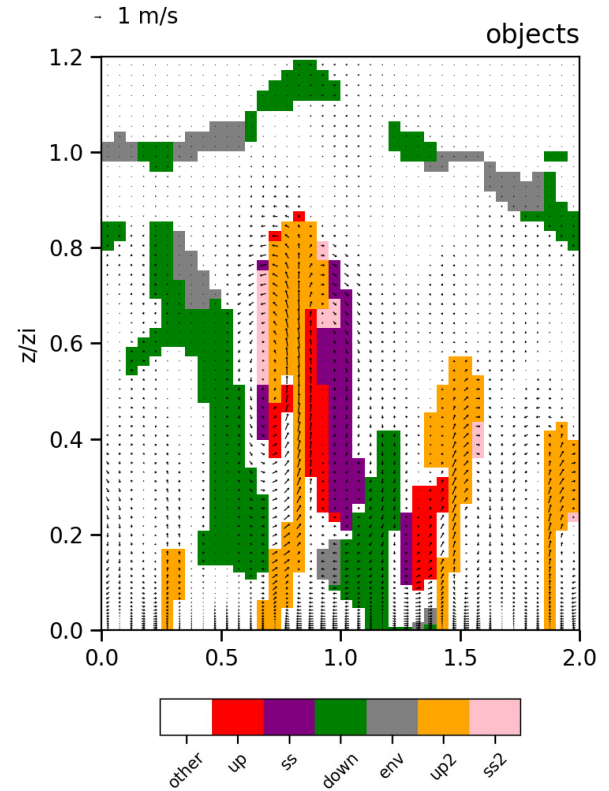
Passive tracer emission



S_i concentration fluctuation of tracer i



Conditional sampling



Coherent structures = transport of tracer by turbulent motion

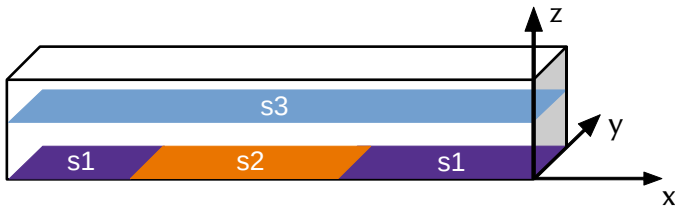
Conditional sampling

- Condition 1 $\{ (x, y, z), s(x, y, z) > \sqrt{\langle s^2 \rangle(z)} \}$

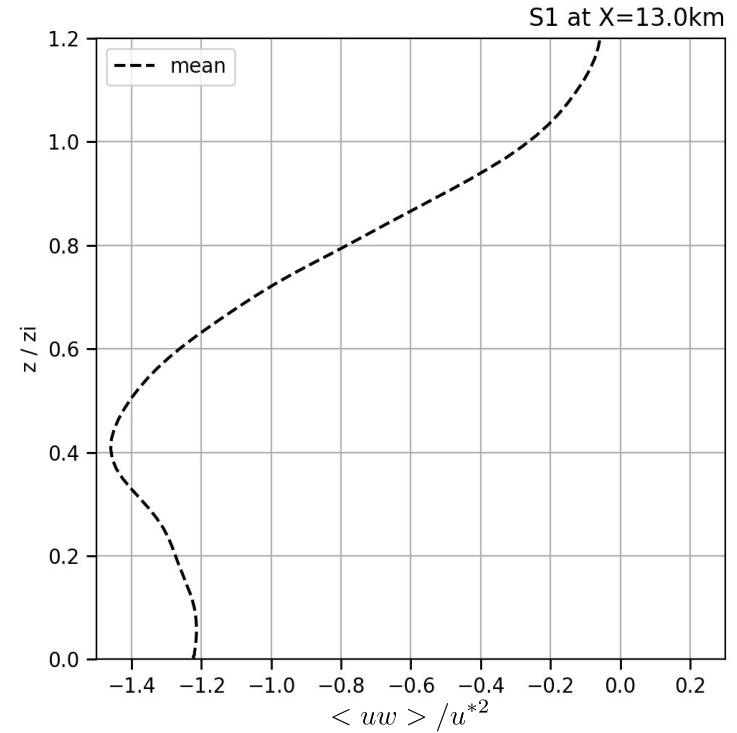
- Condition 2

	$s_1 > 0$	$s_2 > 0$	$s_3 > 0$
$w > 0$	updraft 1	updraft 2	-
$w < 0$	sub. shell 1	sub. shell 2	downdrafts

(Couvreur et al. 2010)



Note: coherent structures in resolved flow only



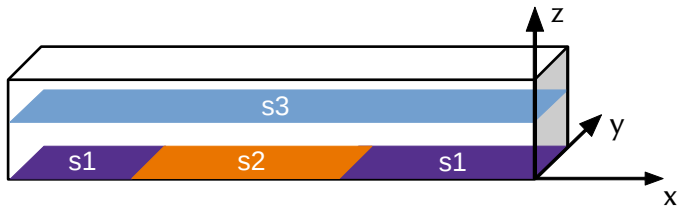
Conditional sampling

- Condition 1 $\{ (x, y, z), s(x, y, z) > \sqrt{\langle s^2 \rangle(z)} \}$

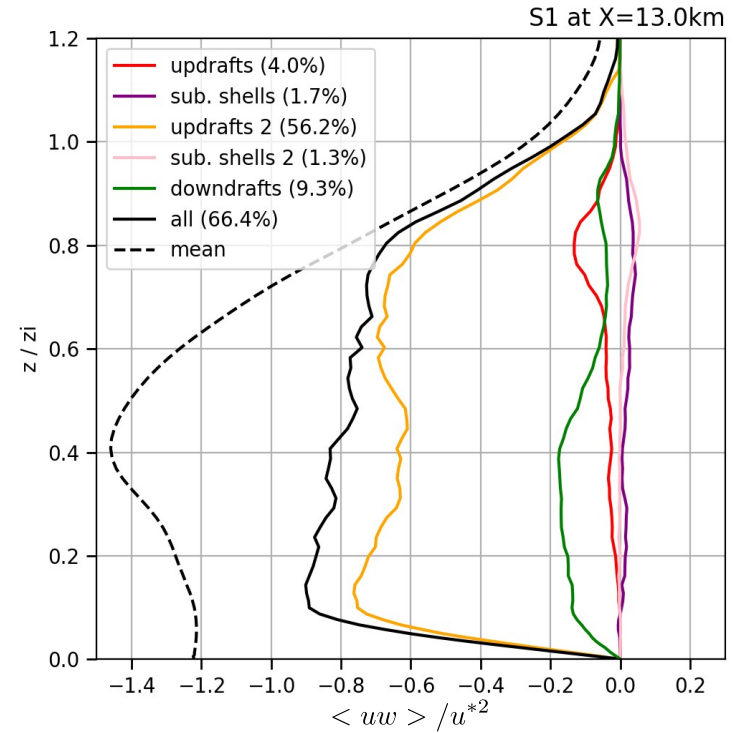
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(Couvreur et al. 2010)



Note: coherent structures in resolved flow only



$$\rightarrow -\frac{\partial \langle uw \rangle}{\partial z} > 0 \text{ not captured}$$

Conditional sampling
 +
 Top-hat decomposition with
 3 disjoint ensembles E_i : ‘updrafts’, ‘downdrafts’
 and ‘other’

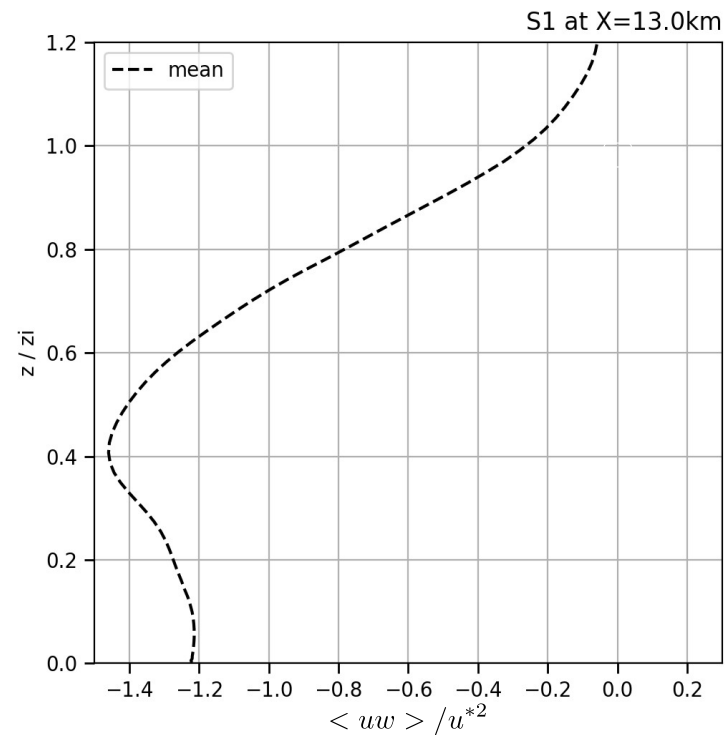
$$\langle uw \rangle = \underbrace{\sum_{i=1}^3 \alpha_i (U_i - \langle U \rangle) (W_i - \langle W \rangle)}_{\text{Top-hat contribution (mass-flux)}} + \underbrace{\sum_{i=1}^3 \alpha_i \langle (U - U_i)(W - W_i) \rangle_i}_{\text{Intra-variability contribution (diffusion)}}$$

With: α_i cover of E_i

$$A = \langle A \rangle + a$$

$$A_i = \langle A \rangle_i = \frac{1}{N_i} \sum_{(x,y) \in E_i} A(x,y,z)$$

(Wang and Stevens 2000)

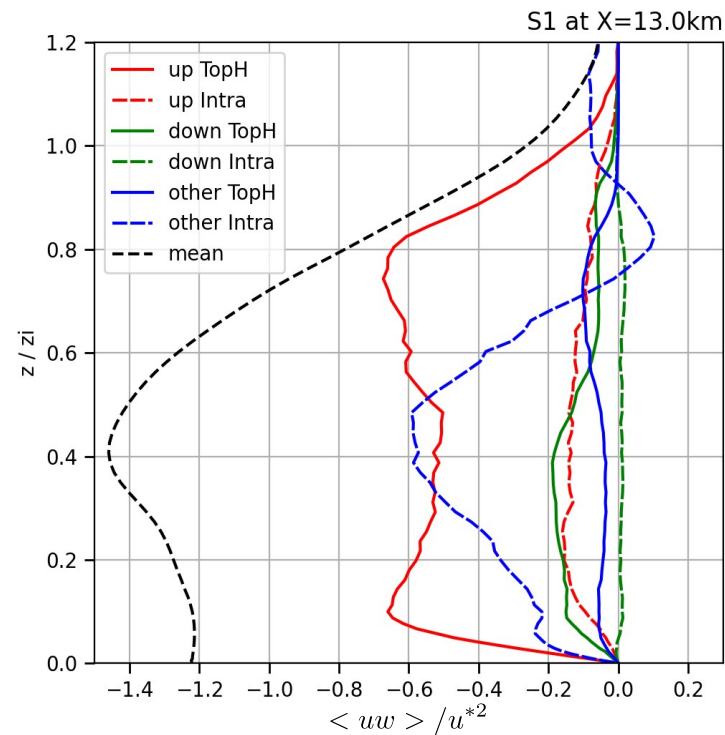


Conditional sampling
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 $A_i = \langle A \rangle_i = \frac{1}{N_i} \sum_{(x,y) \in E_i} A(x,y,z)$

(Wang and Stevens 2000)



→ Lower layers wind increases by non-turbulent air contribution

The ABL response to submesoscale SST fronts has been studied with a LES channel simulation

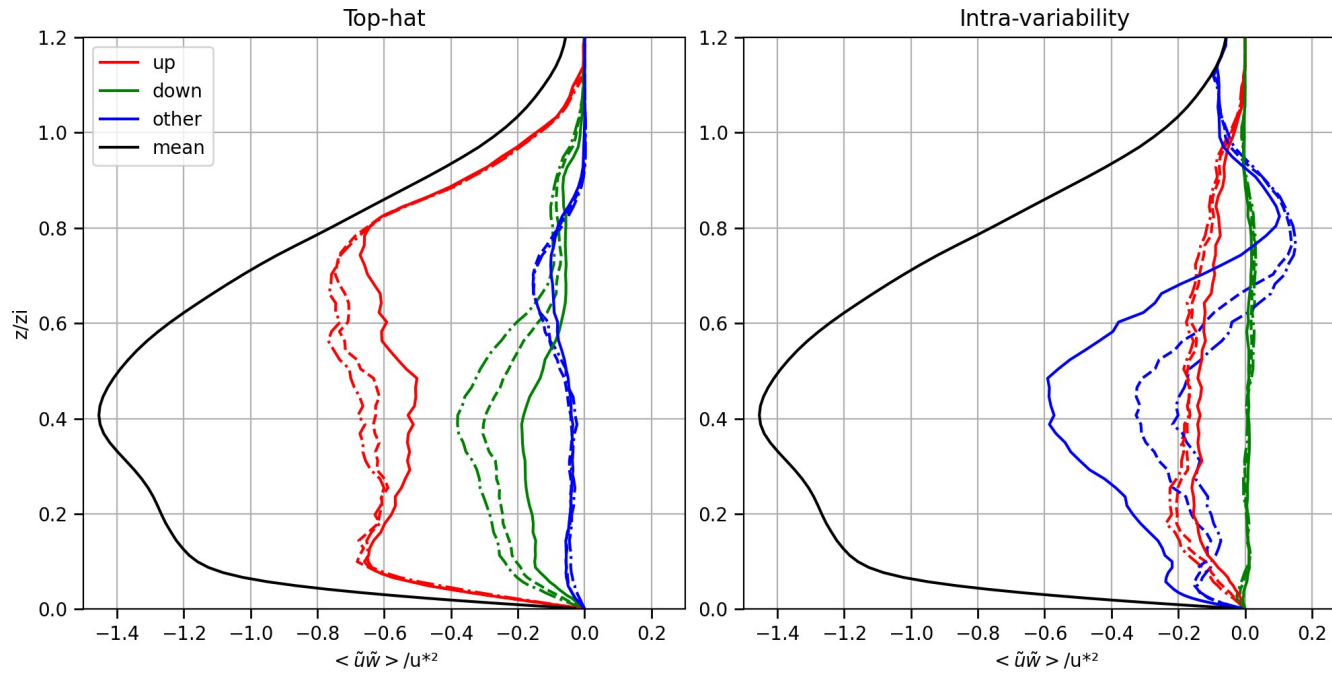
- For submesoscale SST front, advection and turbulence play key roles in the ABL response
- Mechanisms identified at the oceanic mesoscale are present here (Pressure Adjustment and Downward Momentum Mixing)
- A coherent structure analysis can be used to identify the contribution of each structures to the turbulent fluxes
but
It cannot detect the lower layers wind increase by a non-turbulent compensating subsidence

→ Paper to be submitted

Changing condition 1 of C10 conditional sampling :

$$\{(x, y, z), s(x, y, z) > \textcircled{m} \cdot \langle s^2 \rangle (z)\}$$

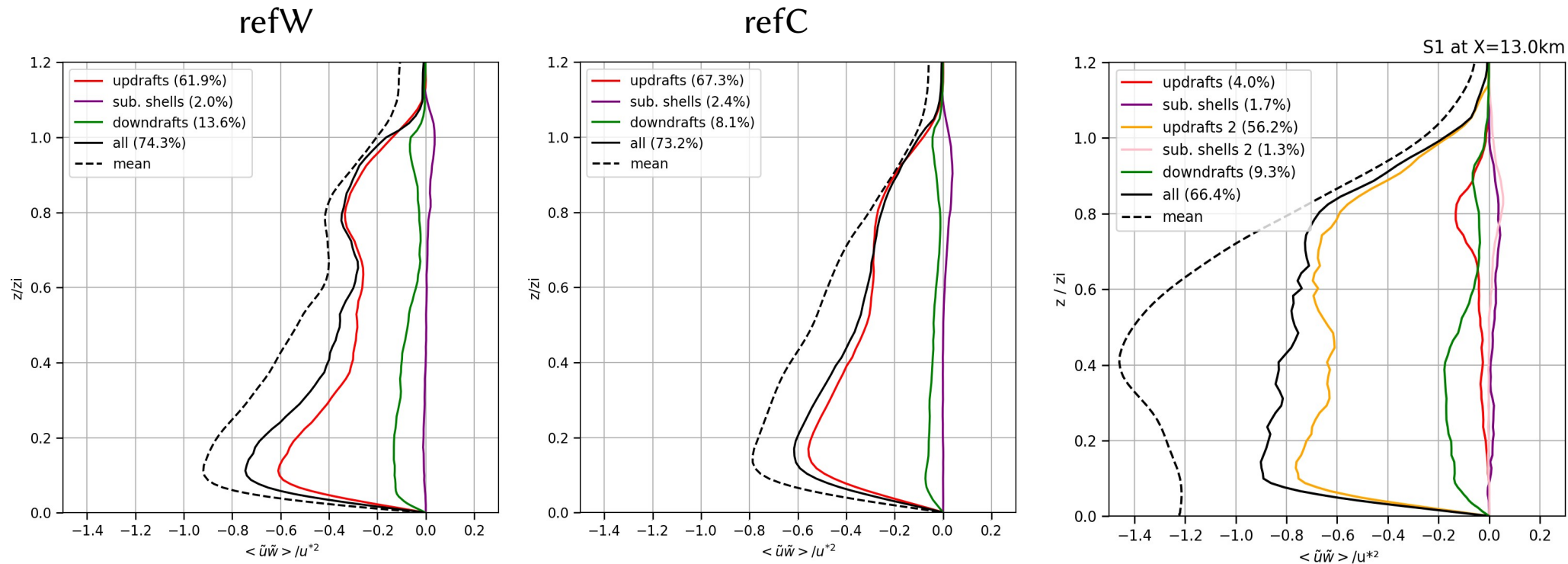
C10 m sensitivity:



m sensitivity at X=13km : full ligne m=1, dashed m=1/2, dashed-dot m=1/4

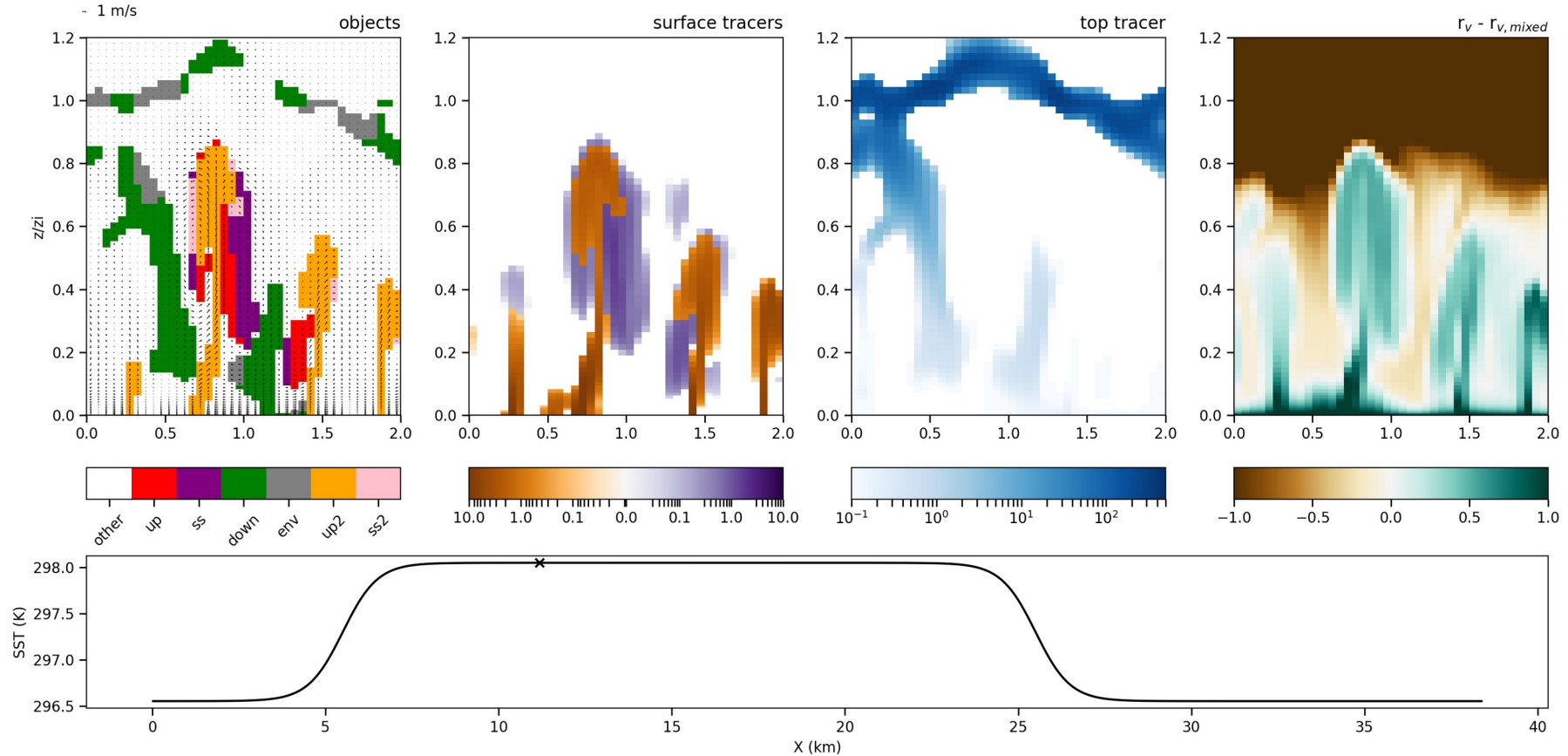
→ Non turbulent, descending air is increasing U at the lower levels :
compensating subsidence is more intense

Reference simulations



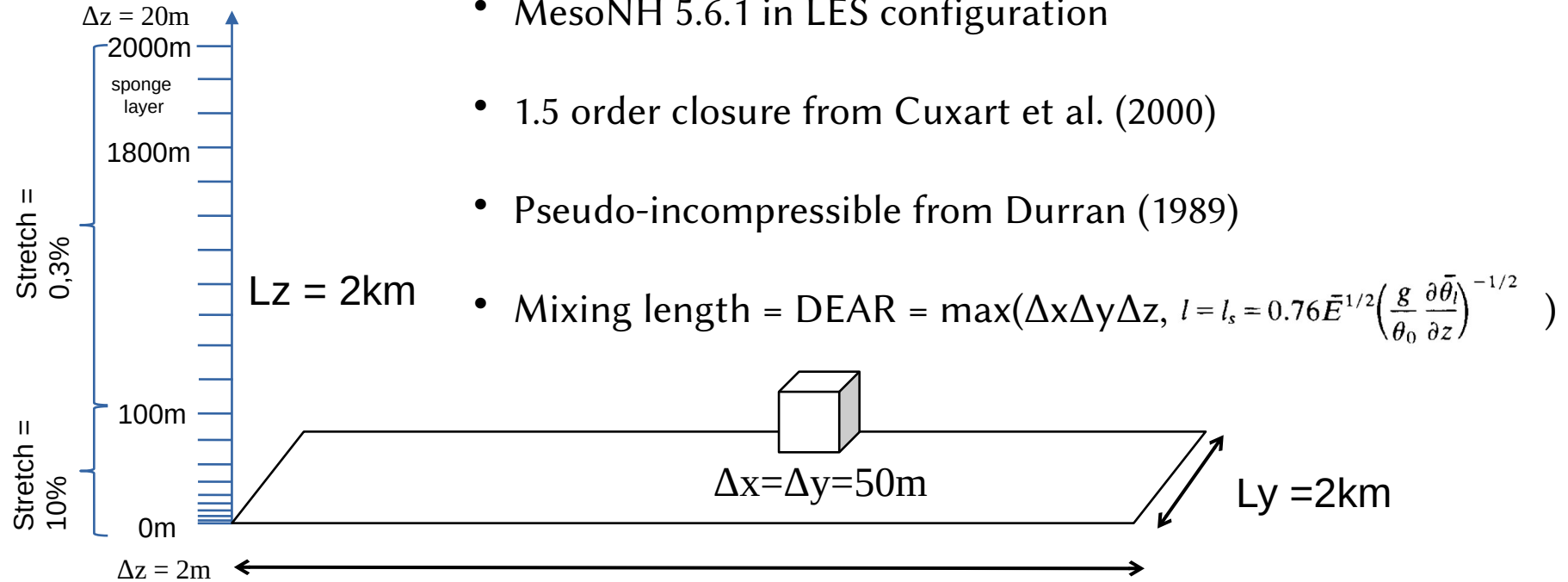
→ 74% of the flux is captured by the coherent structures when SST is homogeneous vs 66% for S1 at X=13km

T = 2h30min30s
X = 11,1 km



Annexes

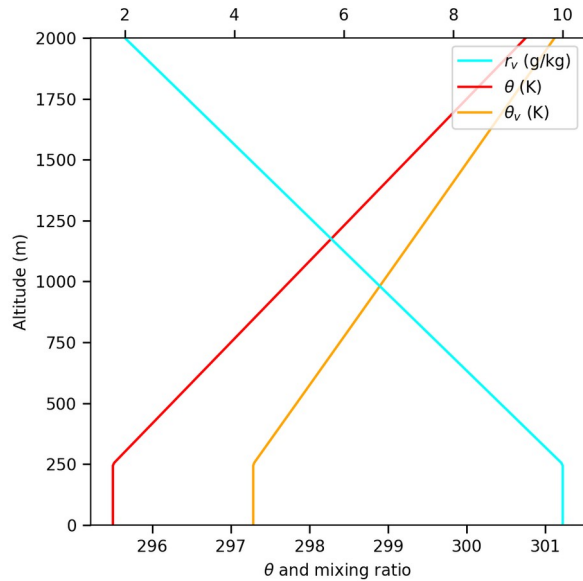
Numerical setup:



- MesoNH 5.6.1 in LES configuration
- 1.5 order closure from Cuxart et al. (2000)
- Pseudo-incompressible from Durran (1989)
- Mixing length = DEAR = $\max(\Delta x \Delta y \Delta z, l = l_s = 0.76 \bar{E}^{1/2} \left(\frac{g}{\theta_0} \frac{\partial \bar{\theta}_l}{\partial z} \right)^{-1/2})$

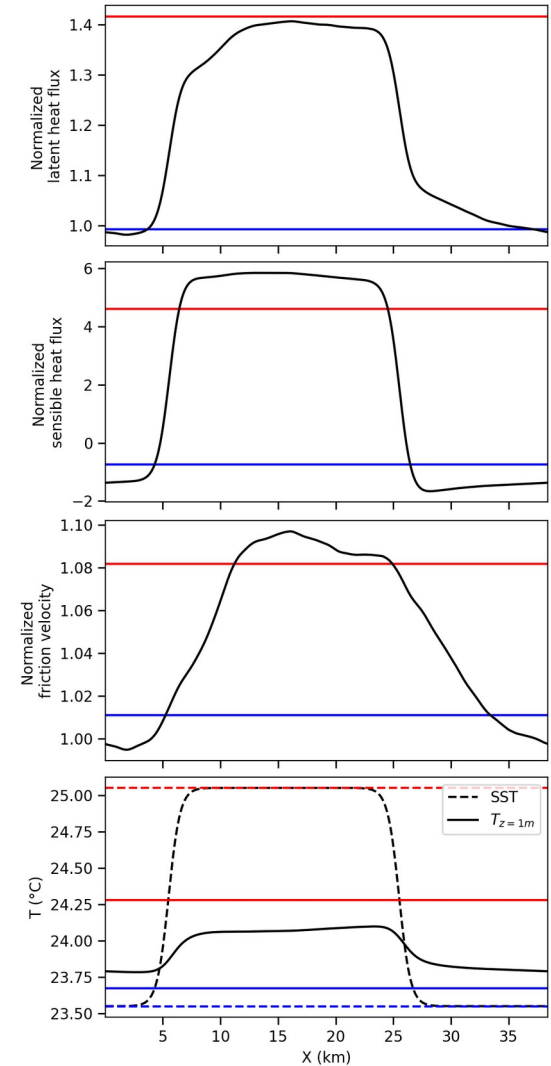
Annexes

Initial conditions:



- $U = U_g = (7.5, 0)$ m/s
- SST(x) from $t=0$ s
- Clouds can form : ICE3
- Surface scheme : COARE3
- No radiation

Surface values:



Annexes

Realistic simulation: Agulha's current

